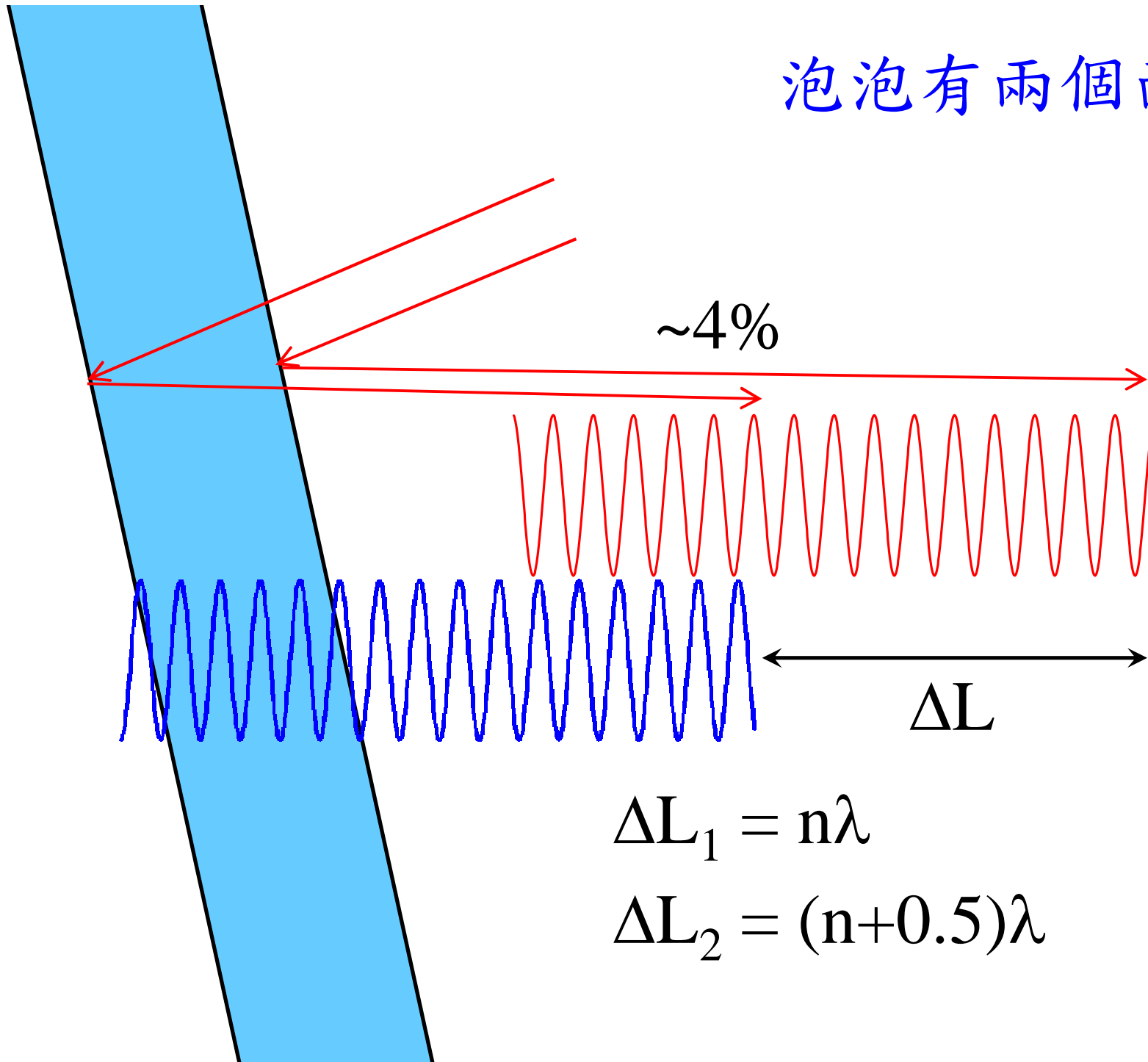


為什麼泡泡斑斕多彩？

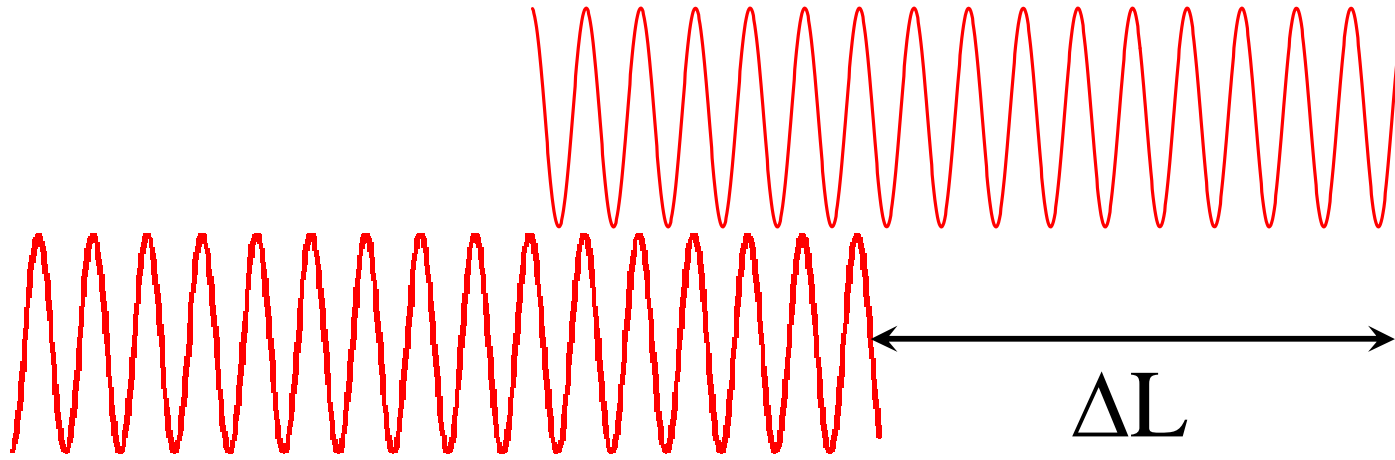
水面會反射光線

泡泡有兩個面



$$\Delta L_1 = n\lambda$$

$$\Delta L_2 = (n+0.5)\lambda$$

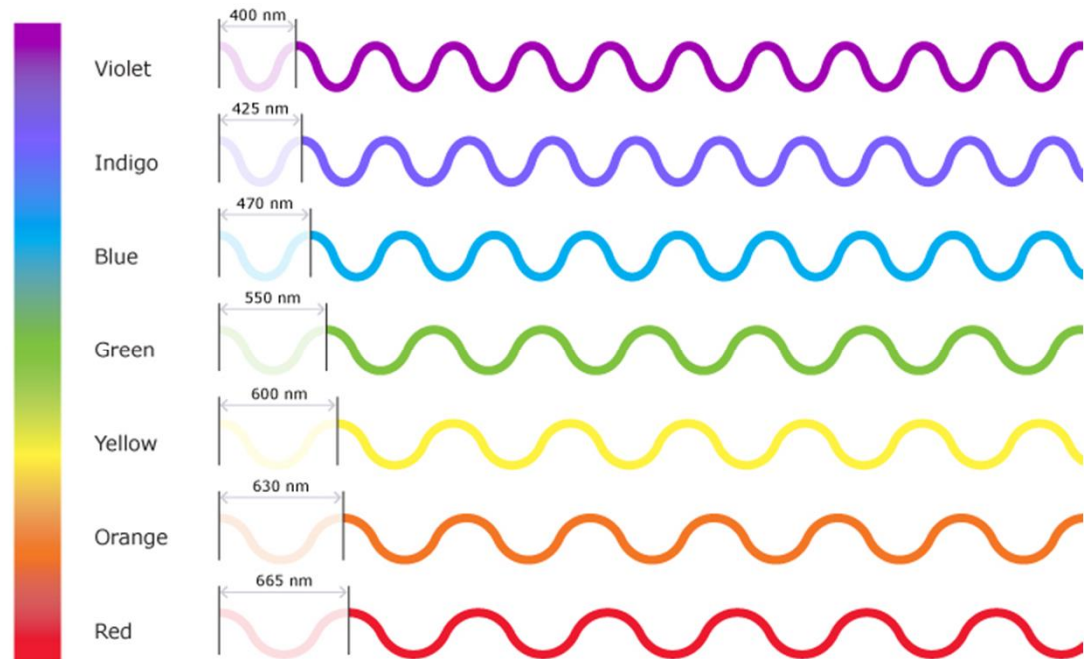


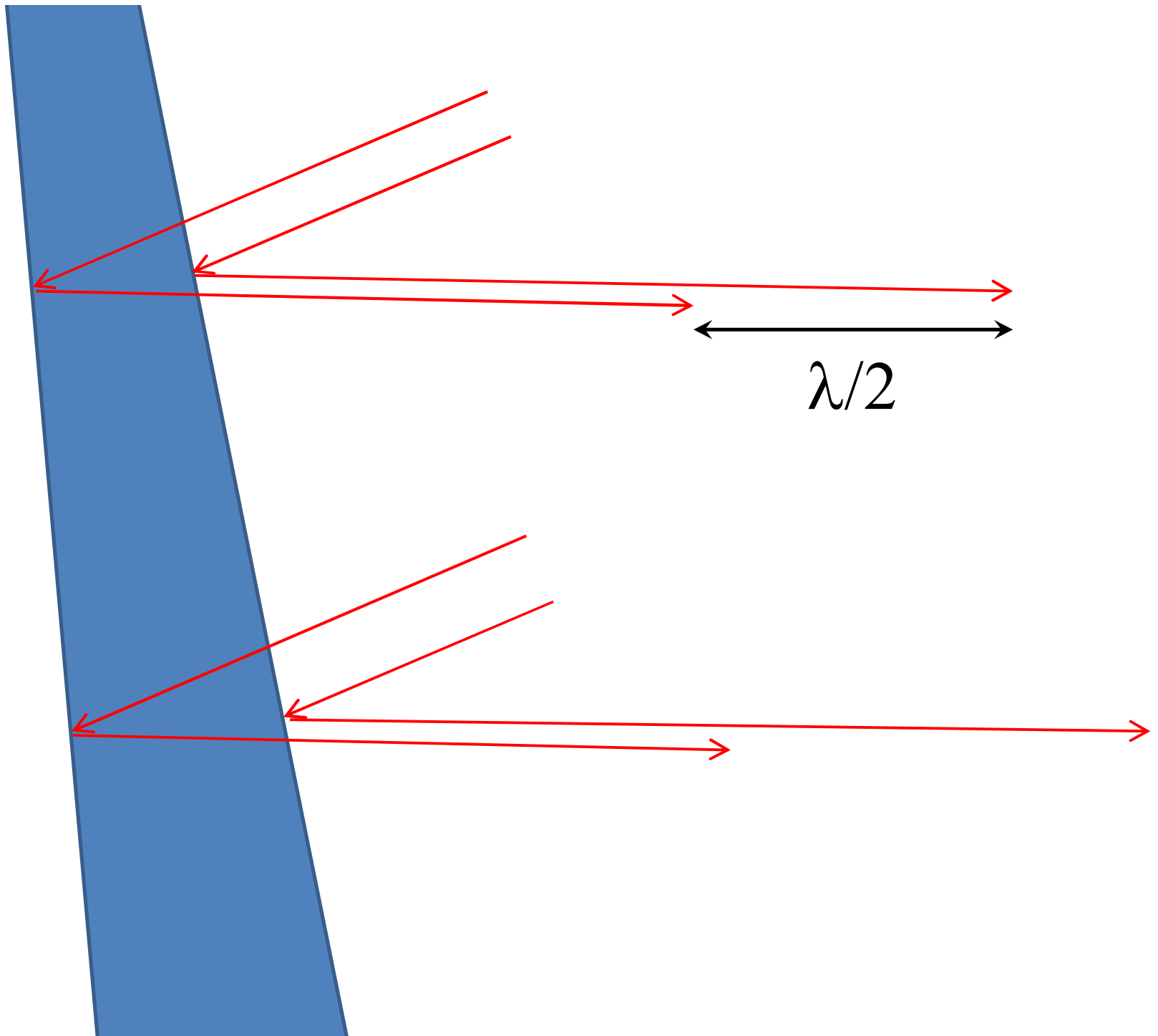
$\Delta L_1 = n\lambda$
 $\Delta L_2 = (n+0.5)\lambda$

} 不同厚度之干涉 明暗交替

斑斕多彩

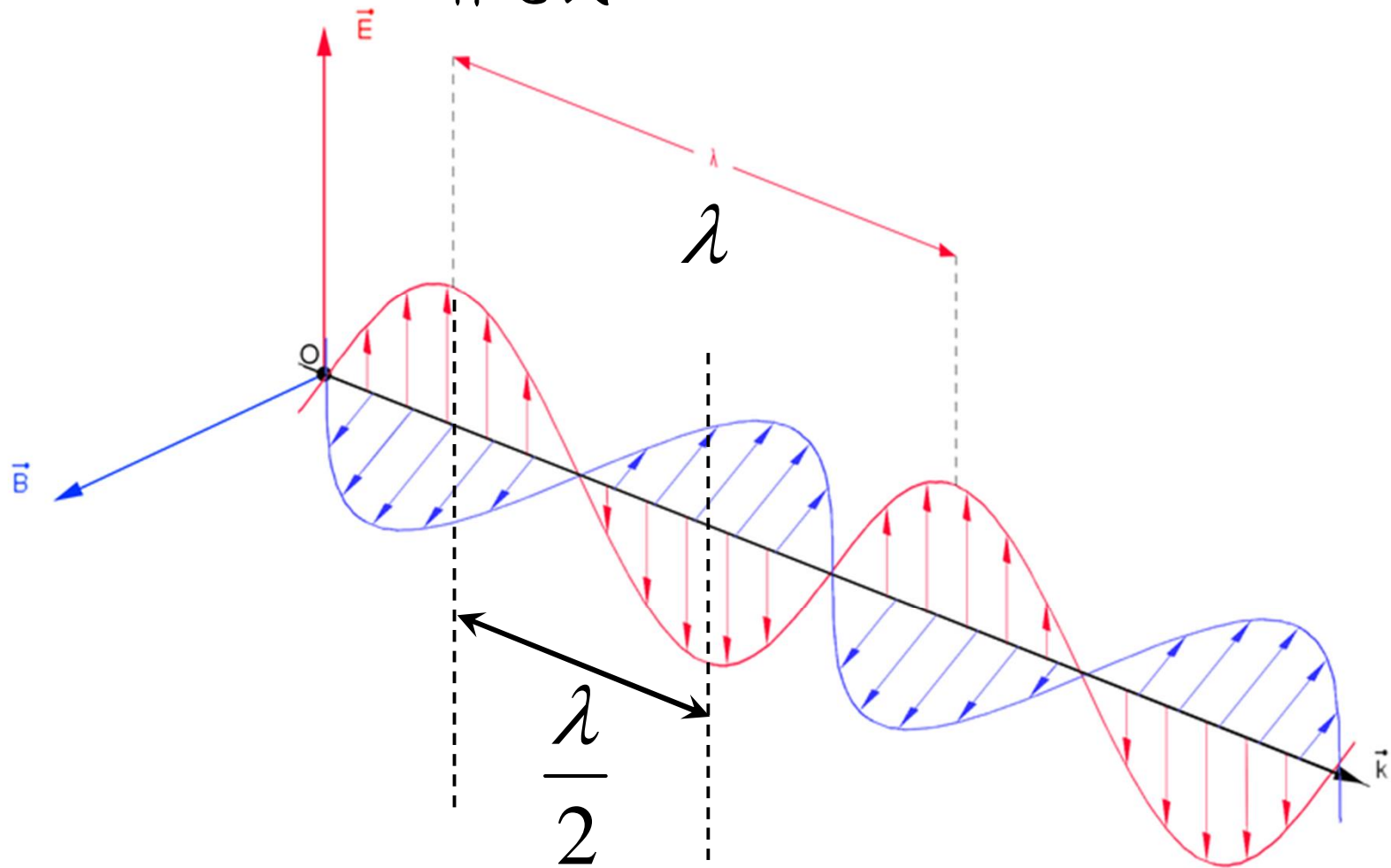
$$\begin{aligned}
 & 630 \text{ nm} * 1.5 \\
 & = 472 \text{ nm} * 2
 \end{aligned}$$





EM Wave & Polarization

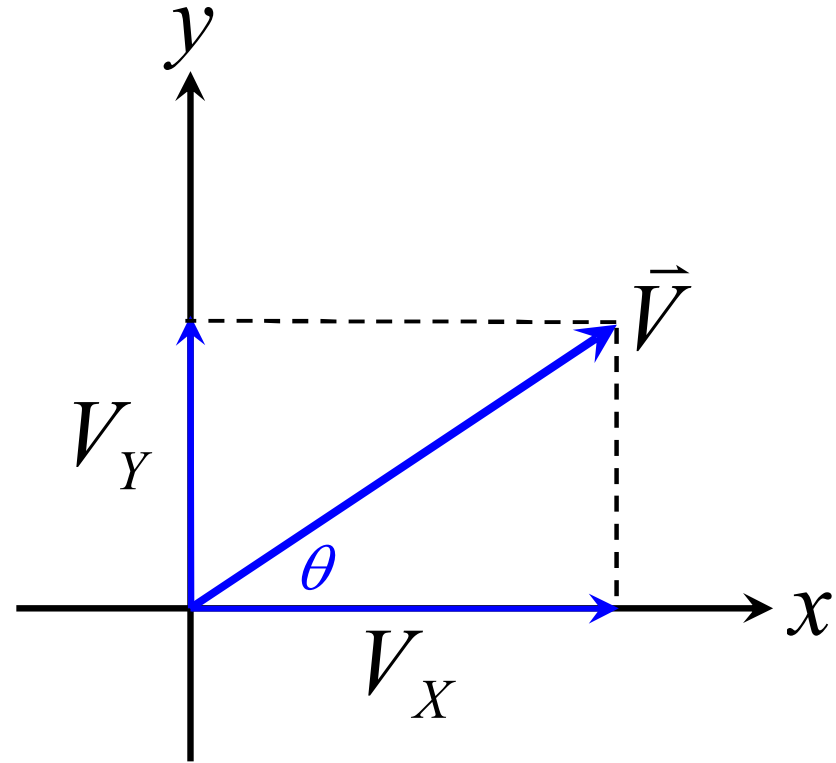
林志民 Jim Jr-Min Lin



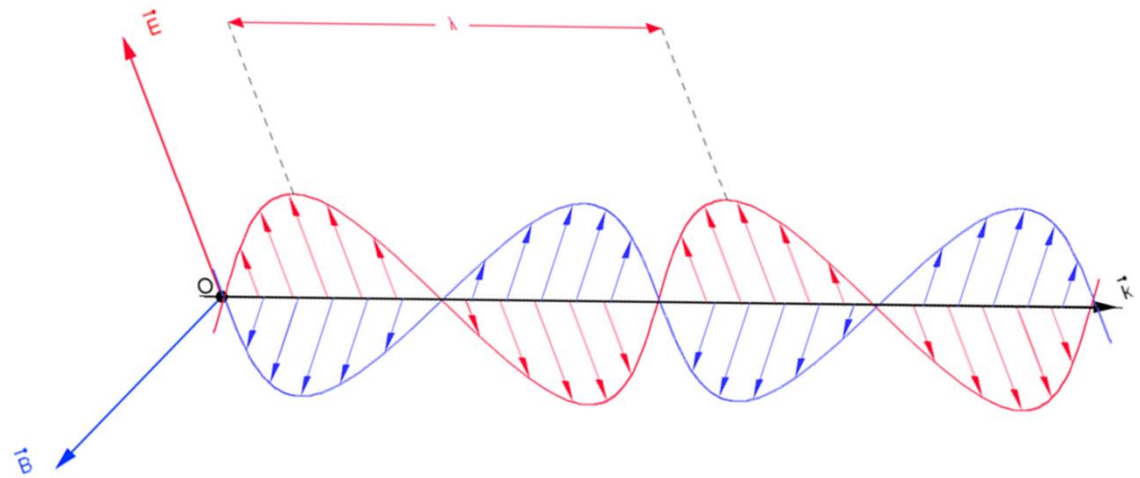
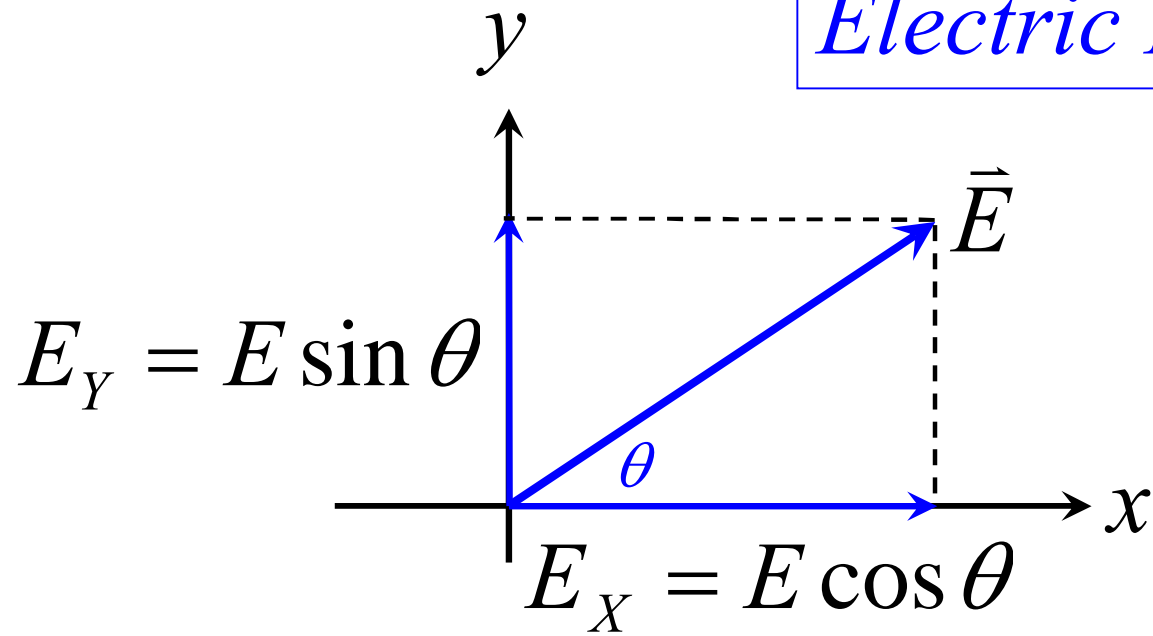
http://en.wikipedia.org/wiki/File:Onde_electromagn%C3%A9tique.png

Vector

$$\begin{aligned}\vec{V} &= \hat{x}V_X + \hat{y}V_Y \\ &= \hat{x}V \cos \theta + \hat{y}V \sin \theta \\ V &= |\vec{V}|\end{aligned}$$

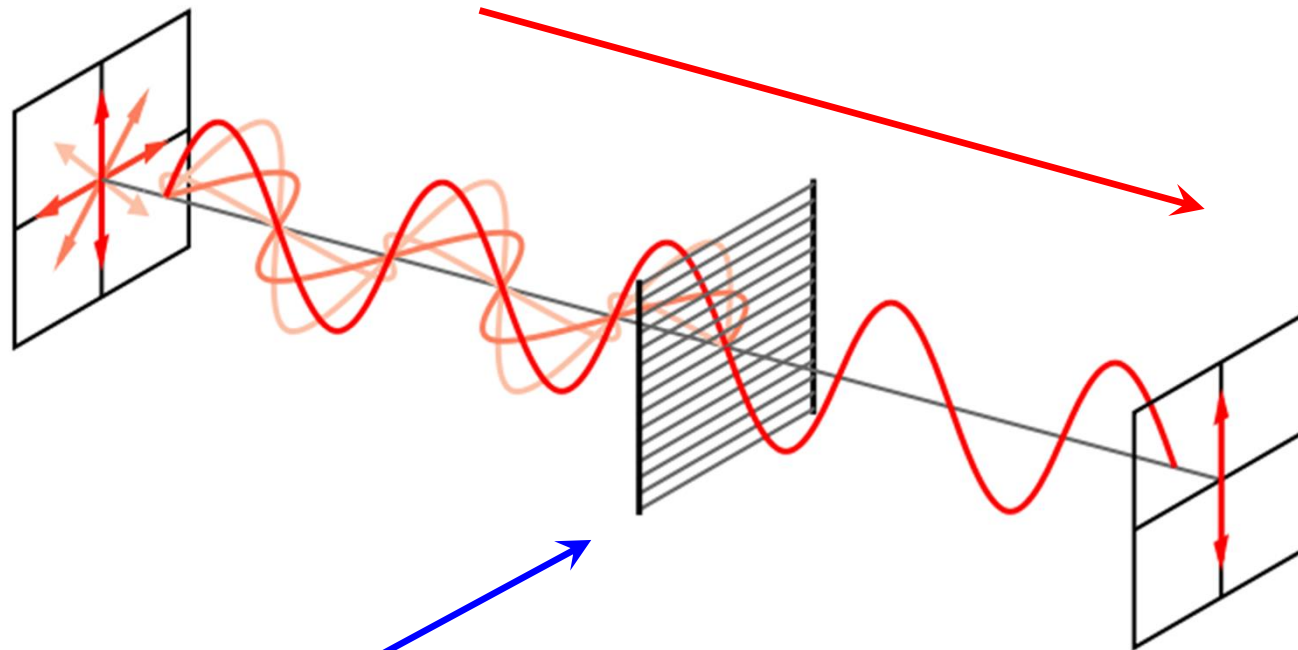


Electric Field is a Vector.



Polarizer 偏振片

Only a certain direction of the E vector can transmit the polarizer, not the perpendicular one.

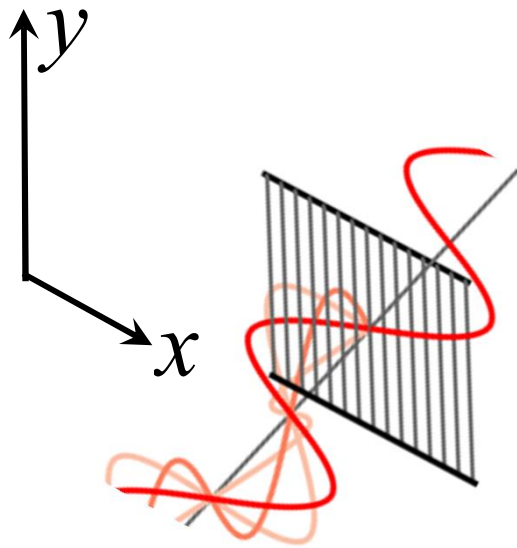


Conductive direction

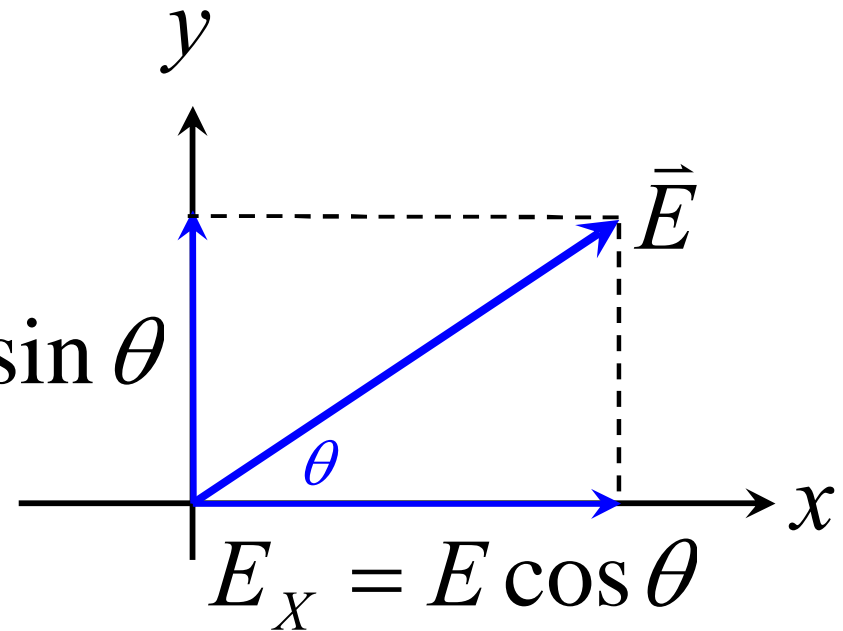
If the transmitted direction is x , E_X component can go through, not E_Y .

The transmittance of an ideal polarizer is:

$$T = \left| \frac{E_X}{E} \right|^2 = \cos^2 \theta$$

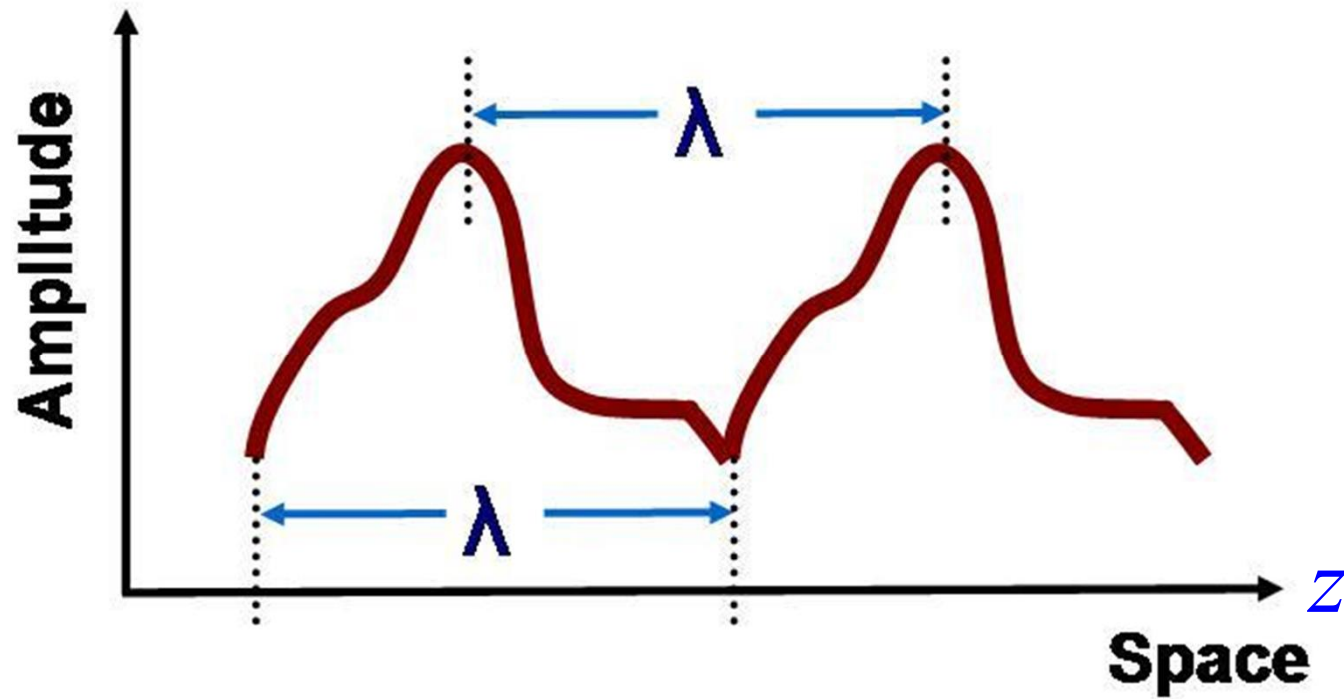


$$E_Y = E \sin \theta$$

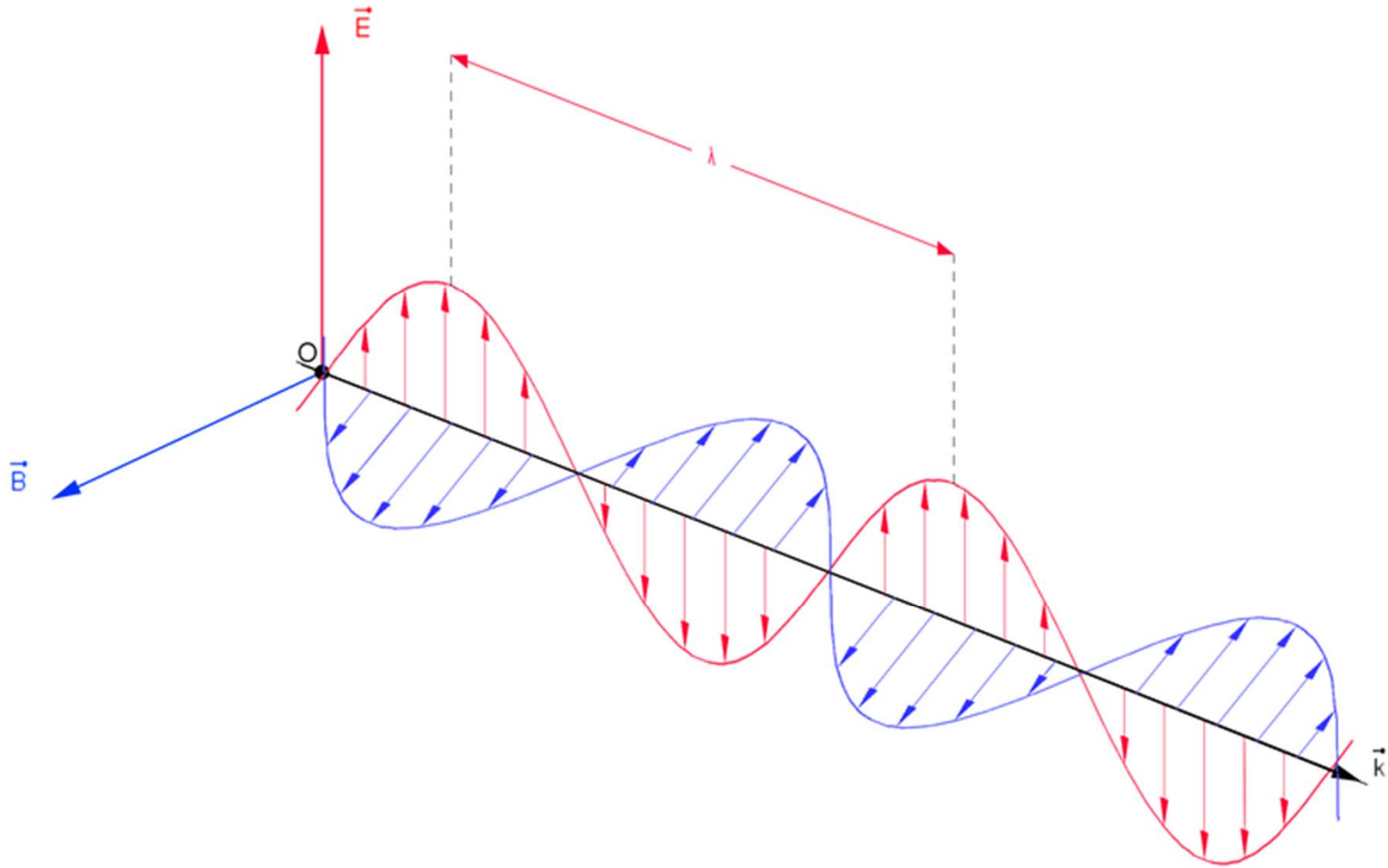


Wave

$$E(z, t) = f(z - vt) = g\left(\frac{z}{\lambda} - \frac{t}{T}\right), \quad v = \frac{\lambda}{T}$$

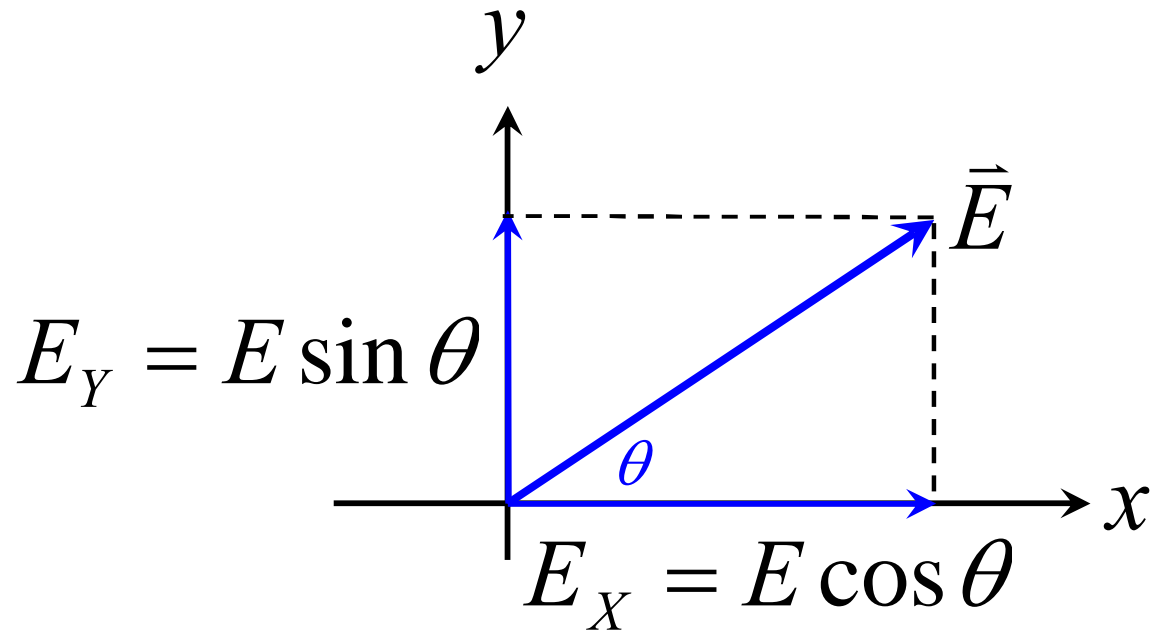


$$\vec{E}(z, t) = \vec{E}_0 \cos\left(2\pi \frac{z}{\lambda} - 2\pi f t\right)$$



$$\vec{E}(z, t) = \ddot{x} E_X \cos\left(2\pi \frac{z}{\lambda} - 2\pi f t\right)$$

$$+ \ddot{y} E_Y \cos\left(2\pi \frac{z}{\lambda} - 2\pi f t\right)$$



Number of Wavelength (# of wave)

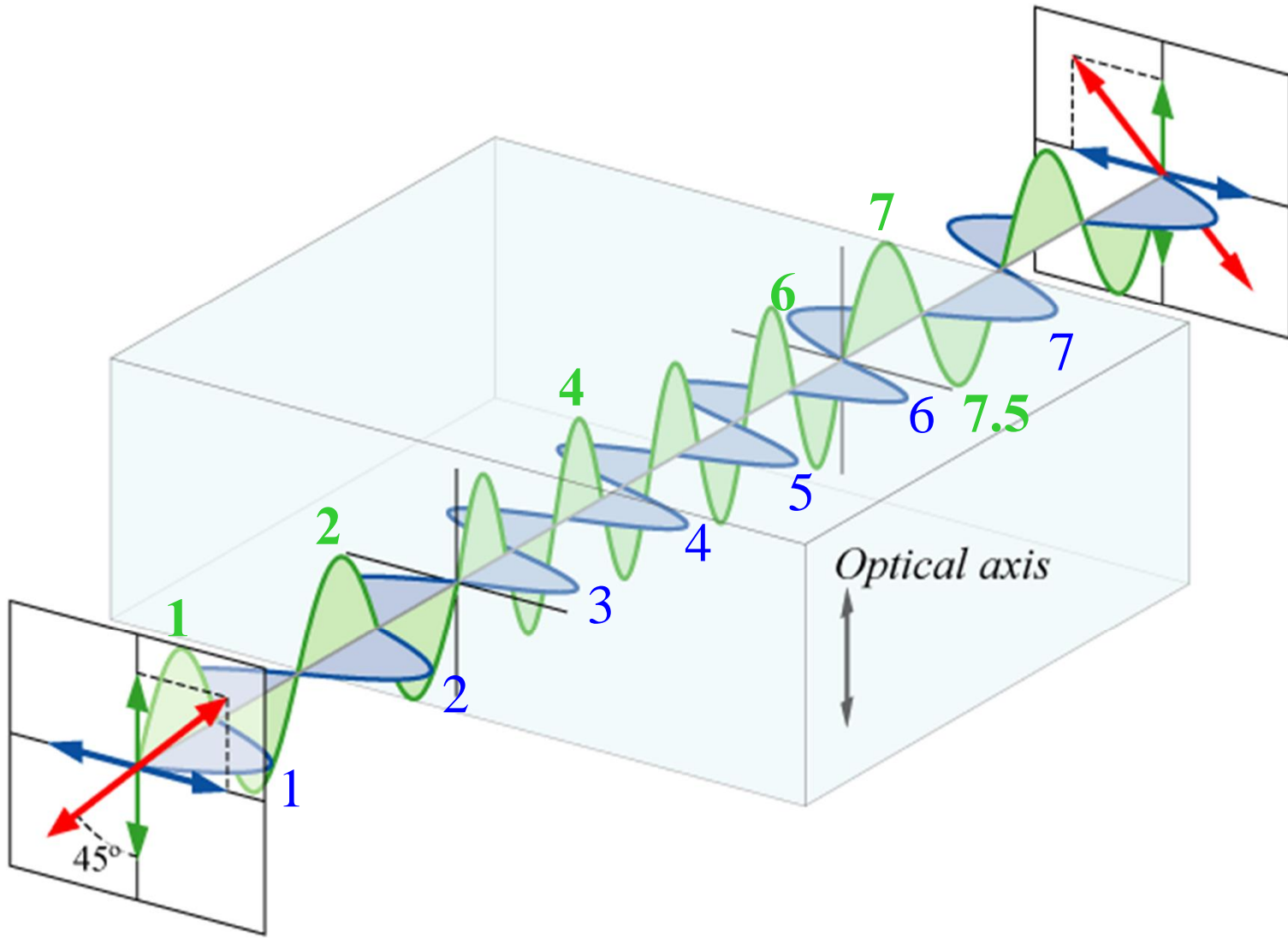
$$\begin{aligned} \# \text{ of wave} &= \frac{L}{\lambda_0} \quad \text{in vacuum} \\ &= \frac{nL}{\lambda_0} \quad \text{in a medium} \end{aligned}$$

Birefringence 双折射

$$n_X \neq n_Y$$

$$(\# \text{ of wave})_X = \frac{n_X L}{\lambda_0} \quad \text{for } E_X$$

$$(\# \text{ of wave})_Y = \frac{n_Y L}{\lambda_0} \quad \text{for } E_Y$$



<http://en.wikipedia.org/wiki/File:Waveplate.png>

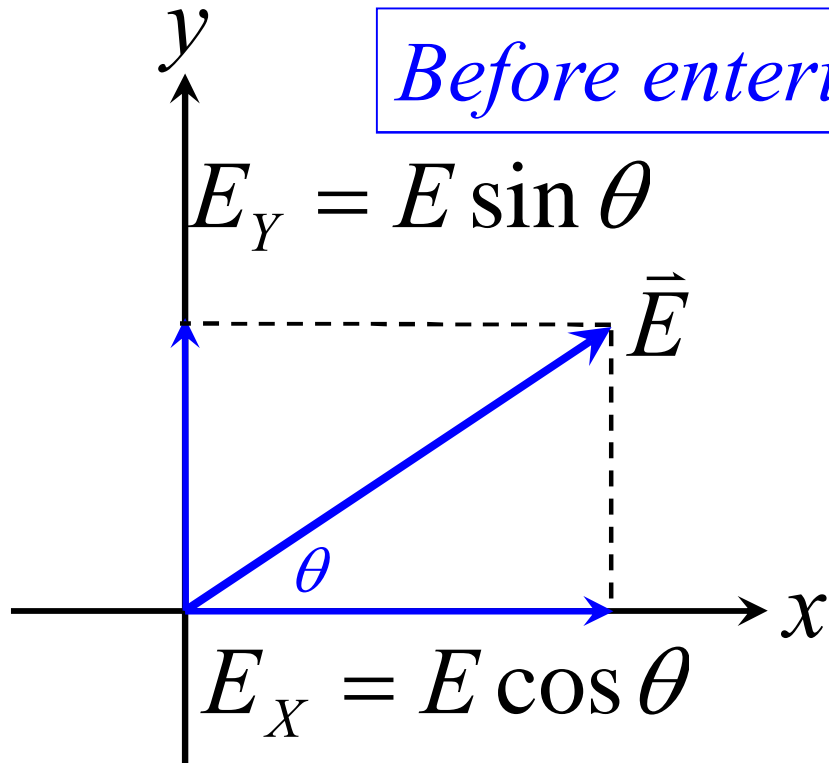
Half-wave plate

$$\text{if } (\# \text{ of wave})_Y = (\# \text{ of wave})_X + \frac{1}{2}$$

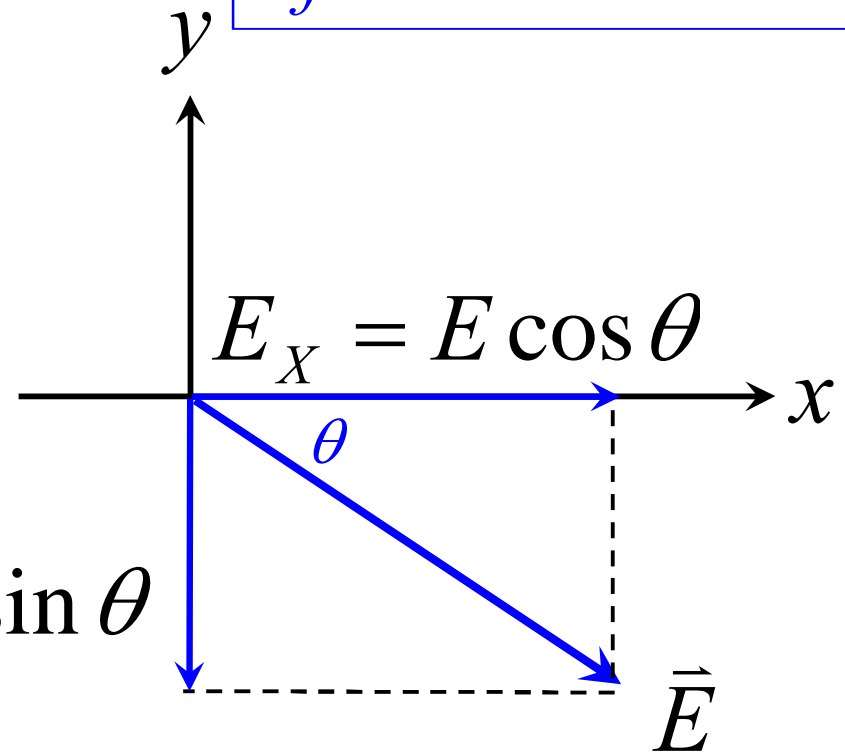
$$\frac{n_Y L}{\lambda_0} = \frac{n_X L}{\lambda_0} + \frac{1}{2}$$

$$\frac{n_Y L}{\lambda_0} - \frac{n_X L}{\lambda_0} = \frac{(n_Y - n_X)L}{\lambda_0} = \frac{1}{2}$$

Before entering the medium



After the medium



$$E_y = E \sin\left(\theta + \frac{2\pi}{2}\right) = -E \sin \theta$$